

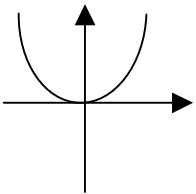
curves

A function is like a wedding. There are tables, chairs, food, wine etc.

A function of x tells the story of the output for any value of x . $f(x) = x^2 + 2x - 8$ is a function of x .

Put $x = 3$ and we get $f(3) = 3^2 + 2 \times 3 - 8 = 7$. $(3, 7)$ is a point on the graph of $y = x^2 + 2x - 8$.

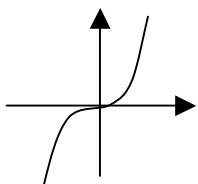
These functions can be **transformed** by changing the form of the original function.



This is the basic curve $y = x^2$. It is called a parabola and it can "hold water".

We write $f(x) = x^2$ This is the simplest quadratic and it can be transformed:

EXTERNAL TAMPERING	$f(x) + 1$	$f(x) - 2$	$2f(x)$	$\frac{1}{2}f(x)$	$-f(x)$	$ f(x) $
EFFECT	THE +1 TAKES THE GRAPH 1 UNIT UP.	THE -2 TAKES THE GRAPH DOWN 2 UNITS.	MULTIPLYING BY 2 TAKES EVERY Y VALUE TWICE AS FAR FROM THE X-AXIS.	THIS EFFECT SHRINKS EVERY VALUE NEARER TO THE X-AXIS BY A FACTOR OF $\frac{1}{2}$	THIS EFFECT REVERSES THE SIGN OF THE Y VALUES. NOW $Y = -x^2$ Reflection in the x-axis	THIS IS MOD $F(X)$ AND TURNS NEGATIVE Y VALUES POSITIVE. Already positive here so no change
The original curve is dotted						
CODE	1	-2	X2	X $\frac{1}{2}$		



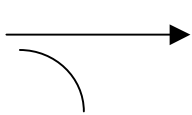
This is the basic curve $y = x^3$.

These are the effects of the same transformations:

EXTERNAL TAMPERING	$f(x) + 1$	$f(x) - 2$	$2f(x)$	$\frac{1}{2}f(x)$	$-f(x)$	$ f(x) $



This is the basic curve $y = \frac{1}{x}$

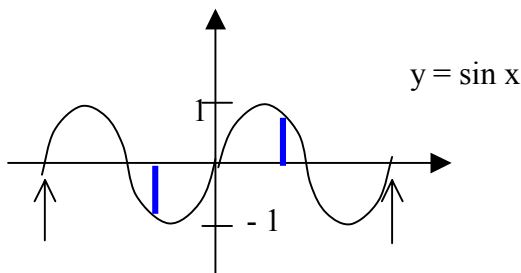


The axes are **asymptotes** to the curve. The curve touches the axes at infinity.

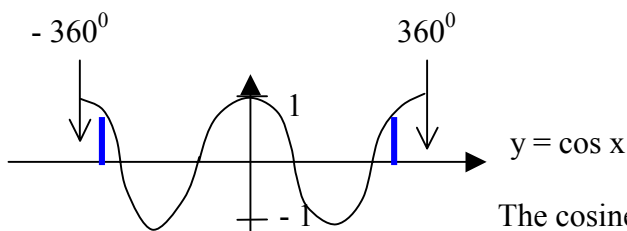
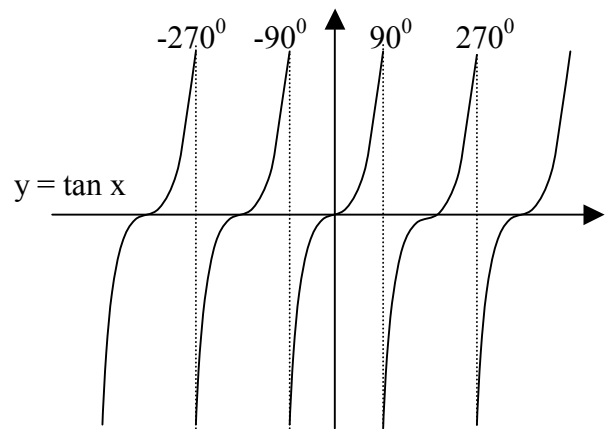
We will **transform** this curve with some internal tampering.

(EXTERNAL)	$f(x) + 1$	$f(x) - 2$	$2f(x)$	$\frac{1}{2}f(x)$	$-f(x)$	$ f(x) $
INTERNAL TAMPERING	$f(x + 1)$	$f(x - 2)$	$f(2x)$	$f(\frac{1}{2}x)$	$f(-x)$	$f(x)$
All transformations happen in a horizontal direction and are opposite to Expectation.						
CODE	Back 1	Forward 2	Shrink 2	Expand 2	Reflect in y - axis	Who knows?

Just a few other curves which you may be asked to transform:



The sine function is an **odd** function
 $\sin(-x) = -\sin(x)$



The cosine function is an **even** function: $\cos(-x) = \cos(x)$

Some transformed curves:

